# Arrays and Matrices in MATLAB 

EE 201

## Session Agenda

$\square$ Contact before work 5 min.
$\square$ Arrays and Matrices in MATLAB 70 min.

## Class Learning Objectives

$\square$ Achieve Comprehension LOL of Arrays and Matrices in MATLAB.

## Creating Numeric Matrix

$\square$ We can create numeric array using: a- Square bracket
b- Colon operator

## Square bracket([ ])

$\square$ Row Vetor:The elements of the row must be separated by commas or

## spaces.

$\square$ Example:

$\square$ Column Vector:
The elements of the Column must be separated by:
-semicolon or use the
-transpose notation(')
which converts a row vector into a column vector or vice versa.
For example:

## Colon Operator(:)

$\square$ The colon operator generates a sequence of numbers that you can use in creating or indexing into Matrices.
$\square$ Numeric Sequence Range
Generate a sequential series of regularly spaced numbers from
first to last using the syntax first:last. For an incremental
sequence from 6 to 17 , use:
$\mathrm{N}=6: 17$

## Example:

## Command Window

>> $\mathrm{N}=6: 17$
$\mathrm{N}=$
Columns 1 through 11
$\begin{array}{lllllllllll}6 & 7 & 8 & 9 & 10 & 11 & 12 & 13 & 14 & 15 & 16\end{array}$

Column 12

17
$\gg N=[6: 17]$
$\mathrm{N}=$

Columns 1 through 11
$\begin{array}{lll}6 & 7 & 8\end{array}$
10
11
12
13
14
15
16
Column 12

17

## Colon Operator(:)

## $\square$ Numeric Sequence Step

Generate a sequential series of numbers, each number separated by a step value, using the syntax :
first:step:last.
For a sequence from 2 through 38, stepping by 4 between each entry, use:
$A=2: 4: 38$

## Example:

## Commend Window

>> $A=2: 4: 38$


## linspace command

## $\square$ The linspace command also creates a linearly spaced row

vector, but instead you specify the number of values rather than the increment.

The syntax is linspace $\left(\mathbf{x}_{1}, x_{2}, \mathbf{n}\right)$, where $x_{1}$ and $x_{2}$ are the lower and upper limits and $n$ is the number of points.
-For example, linspace $(5,8,31)$ is equivalent to $[5: 0.1: 8$ ].
-If n is omitted, generates a row vector of 100 linearly equally
spaced points between $X_{1}$ and $x_{2}$.

## logspace command

$\square$ The logspace command creates an array of logarithmically spaced elements.
$\square$ Its syntax is logspace $(a, b, n)$, where n is the number of points between $10^{a}$ and $10^{b}$.

For example, $\mathrm{x}=\operatorname{logspace}(-1,1,4)$ is
$\mathrm{x}=[0.1000,0.4642,2.1544,10.000]$.
If n is omitted, the number of points defaults to 50 .

## Vector Index

- Vector index, points to a particular element in the array.
- It uses to know the value of element in the vector.
Example:
Use MATLAB to compute $\mathrm{w}=5$ sinu for $u=0,0.1,0.2 \ldots . .10$ and determine the value of the seventh element in the vector $u$ and W.


## Solution of example




```
>- u47!
=\r1:=
    ローGロロロ
\M m!7!
=1エ=
    2.B2 32
```


## Matrices

$\square$ A matrix has multiple rows and columns. For example, the matrix

$$
M=\left[\begin{array}{ccc}
2 & 4 & 10 \\
16 & 3 & 7 \\
4 & 5 & 9 \\
11 & 21 & 1
\end{array}\right]
$$

has four rows and three columns.
$\square$ Vectors are special cases of matrices having one row or one column.

## Creating Matrices

$\square$ If the matrix is small you can type it row by row, separating the elements in a given row with spaces or commas and separating the rows with semicolons. For example, typing:
>>A=[2,4,10;16,3,7];
$\square$ creates the following matrix:

$$
A=\left[\begin{array}{rrr}
2 & 4 & 10 \\
16 & 3 & 7
\end{array}\right]
$$

$\square$ Remember, spaces or commas separate elements in different columns, whereas semicolons separate elements in different rows.

## Creating Matrices from Vectors

$\square$ Suppose $a=[1,3,5]$ and $b=[7,9,11]$ (row vectors). Note the difference between the results given by:
[ab] and $[a ; b]$ in the following session:
$\mathrm{c}=$
$\gg \mathrm{c}=\left[\begin{array}{ll}\mathrm{a} & \mathrm{b}\end{array}\right]$

$$
\begin{gathered}
\gg d=[a ; b] \\
d=
\end{gathered}
$$

1357911
135
7911

## The Matrix in MATLAB

| Columns ( n ) |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $A=$ | 1 | 2 | 3 | 4 | 5 |  |
|  | $4^{1}$ | $10^{6}$ | $1{ }^{11}$ | $6^{16}$ | $2{ }^{21}$ | - $\mathrm{A}(2,4)$ |
| Rows (m) 3 | 82 | 1.27 | 912 | 417 | 222 |  |
|  | 7.23 | 58 | 713 | 118 | 123 | A (17) |
| 4 | 04 | 0.59 | 414 | 519 | 524 |  |
| 5 | $23^{5}$ | $83^{10}$ | $13^{15}$ | $0^{20}$ | $12^{25}$ | Rectangular Matrix: <br> Scalar: 1-by-1 array |
| Vector: m-by-1 array$\mathrm{A}=5 \times 5 \text { matrix. }$1-by-n arrayMatrix: m-by-n array |  |  |  |  |  |  |

## Array Addressing

$\square \mathrm{v}(:)$ represents all the row or column elements of the vector v .
$\square \quad \mathrm{v}(2: 5)$ represents the second through fifth elements; that is $\mathrm{v}(2), \mathrm{v}(3), \mathrm{v}(4), \mathrm{v}(5)$
$\square \quad \mathrm{A}(3,:)$ denotes all the elements in the third Row of the matrix A
$\square \mathrm{A}(:, 2)$ denotes all the elements in the Second column of the matrix A
$\square \mathrm{A}(:, 2: 5)$ denotes all the elements in the second through fifth columns of A .
$\square \quad \mathrm{A}(2: 3,1: 3)$ denotes all the elements in the second and third rows that are also in the first through third columns.
$\square$ You can use array indices to extract a smaller array from another array. For example, if you first create the array
B.

$$
\mathbf{B}=\left[\begin{array}{cccc}
2 & 4 & 10 & 13 \\
16 & 3 & 7 & 18 \\
8 & 4 & 9 & 25 \\
3 & 12 & 15 & 17
\end{array}\right]
$$

$\square$ then type $\mathbf{C}=\mathbf{B}(2: 3,1: 3)$, you can produce the following array:

$$
\mathbf{C}=\left[\begin{array}{ccc}
16 & 3 & 7 \\
8 & 4 & 9
\end{array}\right]
$$

## Array Subscripting / Indexing



A(1:5,5)
$A(:, 5)$
A(21:25)
A(1:end,end)
A(:, end)
A(21:end)'

## EMPTY ARRAY

$\square$ The empty(null) array contains no elements and is expressed as [].
L Rows and columns can be deleted by setting the selected row or column equal to the null array, for example:
$-\mathrm{A}(3,:)=[]$ deletes the third row in A
$\mathrm{A}(1: 4,:)=[]$ delete the first 4 rows in A
$-A([14],:)=[]$ deletes the first row and fourth rows of $A$
$A(:,[14])=[]$ deletes the first column and fourth column of A
Let $A=\left[\begin{array}{lll}6 & 9 & 4 \\ 1 & 5 & 7\end{array}\right]$
$-A(1,5)=3$ changes matrix to: $A=\left[\begin{array}{lllll}6 & 9 & 4 & 0 & 3 \\ 1 & 5 & 7 & 0 & 0\end{array}\right]$
$\mathrm{A}(1,4: 5)=3 \quad--4^{\text {th }}$ and $5^{\text {th }} \quad$ Elements in $1^{\text {st }}$ row of A is 3
$A(1: 2,3)=5 \ldots 3^{\text {rd }}$ Element of $1^{\text {st }}, 2^{\text {nd }}$ row of $A$ is 5
Extract the last two rows and colums

$$
-\mathrm{B}=\mathrm{A}(:, 5:-1: 1) \square \mathrm{B}=\left[\begin{array}{ccccc}
3 & 0 & 4 & 9 & 6 \\
0 & 0 & 7 & 5 & 1
\end{array}\right]
$$

$$
\text { -suppose } \mathrm{C}=[-4,12,3,5,8], \quad \mathrm{B}(2,:)=\mathrm{C}
$$

$$
B=\left[\begin{array}{ccccc}
3 & 0 & 4 & 9 & 6 \\
-4 & 12 & 3 & 5 & 8
\end{array}\right]
$$

$$
\text { -suppose } \mathrm{D}=[3,8,5 ; 2,-6,9], \quad \mathrm{E}=\mathrm{D}([2,2,2],:)
$$

$$
E=\left[\begin{array}{lll}
2 & -6 & 9 \\
2 & -6 & 9 \\
2 & -6 & 9
\end{array}\right]
$$

